DEVELOPMENT OF MULTI LEVEL INVERTER TOPOLOGIES

 Ω

DR. SIVA KUMAR K

DEPARTMENT OF ELECTRICAL ENGINEERING

IIT HYDERABAD

 \circ

C

Where, the space vector V_r constituted by the pole voltages v_{AO} , v_{BO} and $v_{\rm CO}$ is defined as: $V_r = v_{AO} + v_{BO}e^{j120^\circ} + v_{CO}e^{j120^\circ}$ $= v_{AO} + v_{BO}e^{-2\pi i/3} + v_{CO}e^{-2\pi i/3}$ s $1 - \mathbf{1}_S$ DC $T_1 = T_2 \frac{V_s}{\sqrt{2}} \frac{\sin(60 - \alpha)}{2}$ V_{DC} sin 60 $-\alpha$ ᆖ s $2 - \mathbf{I}_\mathrm{S}$ DC $T_2 = T_1 \frac{V_s}{\sqrt{2\pi}} \frac{\sin \theta}{\sin \theta}$ V_{DC} sin 60 α ═ $T_0 = T_s - (T_1 + T_2)$ **[Vector](vecmovieplus.gif)**

 $(+)$

6

 $\sqrt{(-2 + 90)}$ ot = 90[°]

 $\rm{V}_{\rm{DC}}$ =DC link voltage

 $\rm N_{\rm DC}$ $\mathbf{v_{\scriptscriptstyle{DC}}}$ cos 30 \degree If each leg of inverter is capable to produce three voltage levels

O

Total of $27(3^3)$ combinations are possible

How will be the space vector diagram with these 27 switching combinations

O

How to realize

Possible Power circuit for Three-level inverter

But what kind of switch is suitable a

If C1=C2

 $\mathbf O$

Possible output voltage levels are Vdc/2, 0 and -Vdc/2

 $\mathbf O$

-Vdc/2 state will short ckt the Capacitor C2 Vdc/2 state will short ckt the Capacitor C1

Vdc/2 0 -Vdc/2

Cascaded Three-level Inverter

Professional Way

D

 \subset

 \bigcap

 \bullet

 \bigcap

Identify the switch requirements

 $\mathbf O$

What kind of switch is required ?

Four quadrant Switch is require

Basic Three-level Inverter

Three-Level Inverter

NPC Three-Level Inverter

> Capacitor Voltage balancing problem

NPC Three-Level Inverter with capacitor Balancing

Multilevel Inverters with Flying Capacitor Configuration

 $\mathbf O$

Cascaded H- bridge Three-level Inverter

Three-level inverter topology

 $15', 24'$

 $13', 64'$

 $14'$

Induction machine stator winding arrangement

Stator winding of an induction machine is an arrangement of conductors in the machine slots to produce nearly sinusoidal air gap MMF

Four pole induction motor stator winding (full pitch) diagram

 \triangleright The conductors in the slots 1 to 3 and 19 to 21 should have the same voltage profile to produce identical magnetic poles

Similarly the conductor in the slots 10 to 12 and 28 to 30 should have the same voltage profile

 \triangleright In a four pole induction motor, two sets of identical voltage profile coils will be present in the total phase winding, at a phase displacement of 360^o (electrical)

 \triangleright The identical voltage profile winding coils (or pole pair winding coils) in the stator winding will equally share the applied voltage vector

Voltage vector distribution in the four pole induction machine winding

These identical voltage profile winding coils can be disconnected from a conventional four pole induction machine without any design change

Modified four pole induction motor stator winding diagram

Coil connection after the identical pole pair winding disconnection

 \triangleright The advantages of the open-end winding structure along with identical voltage profile winding coils for a four pole induction motor are effectively utilized to realize multilevel structures using conventional two-level inverters

 $\mathbf O$

 \bigcap

All switching combinations for the five voltage levels for a-phase

 $V(2)$ (Ω) OFF ON ON OFF ON

Voltage space vector locations for a Five-level inverter

Note that each voltage level can be realized in a number of ways

 $\mathbf O$

Voltage level at $V_{dc}/2$

Voltage level at $V_{dc}/4$

Voltage level at 0

Voltage level at $-V_{dc}/4$

Voltage level at $-V_{dc}/2$

 \triangleright As mentioned above turning on the bidirectional switches (S₁ to S₆) permanently will cause a short circuit at the middle of motor phase windings

 \blacktriangleright It will create an unequal voltage sharing between the same winding groups and this is explained using with switching state combinations 110 and 20-1

(a)Phase winding connection to the voltage sources for switching state 110 (b) Phase winding connection to the voltage sources for switching state 20-1

(a) Phase winding connection to the voltage sources with equal voltage distribution across the phase winding groups for switching state 110 using the bidirectional switches. (b) Phase winding connection to the voltage sources with equal voltage distribution across the phase winding groups for switching state 20-1 using the bidirectional switches

Based on the above considerations it is not possible to realize all the switching combinations presented in the above table >The possible switching combinations for the proposed topology with appropriately selecting the bidirectional switches for the A-phase are presented bellow

OFF ON ONE OF THE OWNER WHEN THE OWNER WE ARE THE OWNER. THE OWNER, I SAME OF THE OWNER, I SAME OF THE OWNER,

Phase winding connection to the voltage sources for switching state 22-2, with bi-directional switches

 \triangleright the voltage equation for the loop (using Kirchhoff's voltage Law) $(B_1 \rightarrow B_2 \rightarrow X \rightarrow C_2 \rightarrow C_1 \rightarrow B_1)$

$$
\frac{V_{dc}}{4} - \frac{e_b}{2} + \frac{e_c}{2} + 2 V_s = 0 \qquad V_s = -\frac{1}{2} \left(\frac{V_{dc}}{4} - \left(\frac{e_b}{2} - \frac{e_c}{2} \right) \right)
$$

 \triangleright The maximum voltage across the switch is half the voltage difference between $\rm V_{dc}/4$ and the difference between the back emf's of two phases $\frac{V_{dc}}{4} - \frac{e_b}{2} + \frac{e_c}{2} + 2 * V_s = 0$ $\longrightarrow V_s = -\frac{1}{2} \left(\frac{V_{dc}}{4} - \left(\frac{e_b}{2} \right) \right)$
 \blacktriangleright The maximum voltage across the switch is half the voltage difference

between $V_{dc}/4$ and the difference between the back emf

Comparison between the proposed topology and conventional topologies

Resent developments in Small Power Special machines

96 phase Spherical Machine With Variable Pole Pitch for robotic application

•**three degrees of freedom in motion** •**motor consists of a rotor sphere with permanent magnets and an outer stator core casing with 96 stator poles and windings.** •**The currents of the stator coils have to be controlled individually because the pole pitch can vary continuously during operation**

Klemens Kahlen, Ingo Voss, Christian Priebe, Rik W. De Doncker. 2004.

Special machines for High Power Applications

•**Electric ship propulsion** •**Traction systems** •**More electric aircraft**

> **Application where handling high power density , fault tolerance and efficiency are of major concern.**

PWM SWITCHING SCHEMES

∩

 \bullet

Sine-triangle PWM

Two-level Voltage Source Inverter

C

SVPWM for Two-level Inverter

Two-level Voltage Source Inverter

Voltage space phasor vector locations

Where, the space vector $\rm V_r$ constituted by the pole voltages v_{AO} , v_{BO} and v_{CO} is defined as:

$$
V_s = v_{AO} + v_{BO}e^{j120^\circ} + v_{CO}e^{j240^\circ}
$$

Voltage space vector

 $_{qdo} = K_{_S}$ $*$ $\overline{f}_{_abc}$ $f_{\alpha d\alpha} = K_{s} * f$ $=$

 $\left(\theta-2*\pi/3\right)\cos\left(\theta+2*\pi/3\right)$ $\left(\theta-2*\pi/3\right)\sin\left(\theta+2*\pi/3\right)$ $\cos\theta \cos\left(\theta-2*\pi/3\right) \cos\left(\theta+2*\pi/3\right)$ $\frac{2}{3} \sin \theta \quad \sin \left(\theta - 2^* \pi \right) \quad \sin \left(\theta + 2^* \pi \right)$ 1 1 1 $\begin{pmatrix} 2 & 2 & 2 \end{pmatrix}$ $K_{_S}$ θ cos $\theta - 2^{\pi} \pi/2$ cos $\theta + 2^{\pi} \pi$ θ sin($\theta - 2^{\pi} \pi/2$) sin($\theta + 2^{\pi} \pi$) $\begin{pmatrix} \cos\theta & \cos\left(\theta-2*\pi/2\right) & \cos\left(\theta+2*\pi/2\right) \end{pmatrix}$ $=-\sin \theta$ sin θ sin θ - $\frac{\pi}{2}$ sin θ +

 $\rm V_s$ $V_{q} + jV_{d}$

h

SVPWM for Two-level Inverter

 $V_1 T_1 + (V_2 \cos 60) T_2 = T_s V_s \cos \alpha$ Along axis-a:

Along axis-b:

$$
0 + \left(\underline{V_2} \sin 60\right) T_2 = T_s \underline{V_s} \sin \alpha
$$

$$
T_1 = T_s \frac{V_s}{V_{DC}} \frac{\sin(60 - \alpha)}{\sin 60}
$$

s $2 - \mathbf{I}_s$ DC $T_2 = T_1 \frac{V_s}{\sqrt{2\pi}} \frac{\sin \theta}{\sqrt{2\pi}}$ V_{DC} sin 60 α ▀

 60°

 \mathbf{V}_1

 $\longrightarrow a$

 \mathbf{V}_s

 α

 \mathbf{V}_2

$$
T_0 = T_s - (T_1 + T_2)
$$

Buck Converter

$$
V_o = d * V_s
$$

Where

$$
d=\frac{t_{on}}{T_s}
$$

Space Vector PWM

$$
t_{as} = t_a - t_{\min} + \frac{1}{2} \Big[T_s - \left(t_{\max} - t_{\min} \right) \Big]
$$

$$
t_{as} = t_a + \frac{1}{2} \Big[T_s - \left(t_{\text{max}} + t_{\text{min}} \right) \Big]
$$

$$
t_{as} = t_a + T_{offset}
$$

\n
$$
t_{bs} = t_b + T_{offset}
$$

\n
$$
t_{cs} = t_c + T_{offset}
$$

\n
$$
T_{offset} = -t_{min} + \frac{t_0}{2}
$$

\n
$$
t_{as} = t_a - t_{min} + \frac{t_0}{2}
$$

\n
$$
t_{bs} = t_b - t_{min} + \frac{t_0}{2}
$$

\n
$$
t_{cs} = t_c - t_{min} + \frac{t_0}{2}
$$

 $\mathbf O$

 \circ

Offset time and modulating wave

Minimum and Maximum value of offset time

max (max) α *offset* λ *s* α λ ^{*s*} α T_{α} ^{*(max) = T_i -t*} $= 1 -$

Minimum and Maximum value of offset time

 $T_{offset}(\text{min}) \leq T_{offset} \leq T_{offset}(\text{max})$

Discontinuous modulation schemes

The 120° discontinuous PWM schemes

 $T_{\mathit{offset}} = -t$

 $\mathbf O$

 \subset

 $T_{offset} = T_s - t$ $=$ $I_s - l_{\text{max}}$

SVPWM for Three-level Inverter

Two carrier signals required to generate PWM signals for three-level inverter

PWM signal generation with one carrier wave

PWM signals are generated with the help of level signals and compare outputs

- 1. Compare outputs and level signals can be generate with DSP's
- 2. PWM logics can be done with PAL, GAL, CPLD and FPGA's

SVPWM for Multi-level Inverter

Triangular carriers and the reference signals for an '*n***' level PWM scheme where '***n***' is odd**

SVPWM for Multi-level Inverter

Triangular carriers and the reference signals for an '*n***' level PWM scheme where '***n***' is even**

How to Implement open loop V/f controller with space vector PWM using DSP Processors

Ò

TMS320F2812

SPARTAN

XC3S200 FPGA

Generate V_{α} and V_{β} from the reference voltage vector using the formulas

$$
V_{\alpha}=V_r*\cos(\phi)
$$

 \bf{O}

 $V_{\beta} = V_r * \sin(\phi)$

Calculate the Va, Vb and Vc references from V $_{\alpha}$ and V $_{\beta}$ (using K⁻¹ matrix)

Calculate Ta, Tb and Tc references using the above mentioned formulas and use modified kim-sul algorithm

Generation of Sine and cosine waveforms

Using Look-up tables

How to control the frequency

Frequency of sine wave can be controlled with the number of samples with fixed sampling time

How?

Number samples required $=$ switching frequency/fundamental frequency

Number of samples to be skipped in table is proportional to the fundamental frequency

As number of samples to be skipped is proportional to the fundamental frequency

Fundamental frequency is proportional to the Voltage vector reference

So number of samples to be skipped is proportional to the Voltage vector reference

But the calculated number of samples may not be integer always…..

How to solve this?

By accounting rational numbers

Example

Number of Samples in sine wave look table is 256

Switching frequency is 2kHz and fundamental frequency is 50Hz

According the previous discussion number of samples required is 40 and number of samples to be skipped is 256/40 (i.e. 6.4)

If we Consider only 6 samples to skip, we will end up with approximately 42 samples which is equal to an fundamental frequency of 47.6

Which is not correct, So what we can do?

 \bigcap \circ

 \bigcap

 \bigcap

Use the same value of 6.4 at the time of addition i.e.

So use any number format to execute the above

What is the preferred number format?

 \bigcap

To represent 256 samples 8bits are sufficient (i.e. 8MSB are sufficient to represent the integer part of offset)

Use the rest of 8LSB to take of the fractional part

If your sine table length is 512 samples than one can use 9.7 format

THANK YOU

 \mathcal{O}

 $\mathbf O$